

Due Wednesday, September 19

1. Convert the following gain values between their expression in dB and their expression as a normal multiplier (denoted with an ‘ \times ’ after the number). Use a calculator to give an answer accurate to 1%.

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|------------|-------------------------|
| (a) 6 dB | (e) $16\times$ |
| (b) 10 dB | (f) $300\times$ |
| (c) 35 dB | (g) $\frac{1}{8}\times$ |
| (d) -15 dB | (h) $1.1\times$ |

2. Again, convert the following gain values between dB and \times . This time, do not use a calculator, but instead use the properties of logarithms and the approximate relations $6\text{ dB} \approx 2\times$ and $10\text{ dB} \approx 3\times$. Note that the $20\text{ dB} = 10\times$ relation is exact and the 6 dB relation is accurate to about 0.2%, but the 10 dB relation is only accurate to about 5%. When there are multiple ways to solve a problem, try to find the most accurate approximation. Your solutions should show how you obtained your answer.

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|-------------|--------------------------|
| (a) -100 dB | (e) $100\times$ |
| (b) -10 dB | (f) $5\times$ |
| (c) 26 dB | (g) $4\times$ |
| (d) 34 dB | (h) $\frac{1}{15}\times$ |

3. Suppose that the diode drop V_D for a diode is defined as the voltage required to produce some specified forward current I_0 . At room temperature (300 K), the diode drop is determined to be 0.6 V. How much will the diode drop change if the temperature is increased by 30 K?

4. Suppose a diode satisfies the I - V relation $I = I_s(e^{V/V_0} - 1)$ with $I_s = 1\text{ nA}$ and $V_0 = 50\text{ mV}$. Determine the differential impedance, defined by

$$z = \frac{dV}{dI}$$

as a function of the voltage drop V . This describes how the voltage drop varies in response to small changes in current. Compare the differential impedance values at $V = 0$ and $V = 0.5$ volts. For small current variations, z can often be interpreted as the output impedance of the diode.